

Find:- 21-02-2022

Course Code: 2030004

Roll No:

MLRS- R20



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**INSTITUTE OF TECHNOLOGY AND MANAGEMENT**

(AN AUTONOMOUS INSTITUTION)

(Approved by AICTE, New Delhi & Affiliated to JNTUH, Hyderabad)

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II B.Tech I Sem Regular End Examination, February 2022

**Probability and Statistics**  
**(CE, CSC, CSD, CSE, CSI, CSM, IT)**

**Time: 3 Hours.**

**Max. Marks: 70**

Note: 1. Question paper consists: Part-A and Part-B.

2. In Part - A, answer all questions which carries 20 marks.

3. In Part - B, answer any one question from each unit.

Each question carries 10 marks and may have a, b as sub questions.

**PART- A**

**(10\*2 Marks = 20 Marks)**

- |       |   |    |     |     |
|-------|---|----|-----|-----|
| 1. a) | State Baye's Theorem.   | 2M | CO1 | BL1 |
| b)    | If $P(A) = P(B) = P(A \cap B)$ , prove that $P(A \cap \bar{B}) + P(\bar{A} \cap B) = 0$ . | 2M | CO1 | BL5 |
| c)    | Define probability density function of Uniform distribution.                              | 2M | CO2 | BL1 |
| d)    | Why are interval estimates in most cases more useful than point estimates?                | 2M | CO2 | BL2 |
| e)    | Define sampling distribution.   | 2M | CO3 | BL1 |
| f)    | State Central limit theorem.  | 2M | CO3 | BL1 |
| g)    | Discuss various types of alternative hypothesis with suitable example.                    | 2M | CO4 | BL2 |
| h)    | Define stochastic matrix.   | 2M | CO4 | BL1 |
| i)    | Write the normal equations for the straight line $y = a + bx$ by least squares.           | 2M | CO5 | BL2 |
| j)    | Write the Rank correlation formula for repeated ranks.                                    | 2M | CO5 | BL1 |

**PART- B**

**(10\*5 Marks = 50 Marks)**

- |      |   |    |     |     |
|------|---|----|-----|-----|
| 2 a) | Two persons A and B toss a dice. The person who first throws 4 or 5 wins. A starts the game. Show that the probabilities of A's and B's winning are in the ratio 3:2. | 5M | CO1 | BL5 |
| b)   | Two digits are selected at random from the digits 1 through 9. If the sum is odd, what is the probability that 2 is one of the digit selected.                        | 5M | CO1 | BL3 |

**OR**

- |   |  |     |     |     |
|---|--|-----|-----|-----|
| 3 | Three machines produces 70%, 20% and 10% of the total number of a factory. The percentage of defective output of these machines are respectively 4%, 3% and 2%. An item is selected at random and found defective. Find the probability that it is from the machine-I. | 10M | CO1 | BL5 |
|---|--|-----|-----|-----|

- |      |   |    |     |     |
|------|---|----|-----|-----|
| 4 a) | Prove that Poisson distribution is the limiting case of Binomial distribution.  | 5M | CO2 | BL5 |
| b)   | Construct 95% confidence interval for the true proportion of computer literates if 47 out of 150 persons from rural areas are computer literates. | 5M | CO2 | BL3 |

**OR**

- 5 The marks obtained in Statistics by 1000 students are normally distributed with mean 78% and standard deviation 11%. Determine 10M C02 BL3
- How many students got marks above 90%?
  - How many students got marks between 75% and 85%?

- 6 a) In one sample of 8 observations from a normal population, the sum of the squares of deviations of the sample values from the sample mean is 84.4 and in another sample of 10 observations it was 102.6. Test at 5% level whether the populations have the same variance. 5M C03 BL3
- b) Determine the expected number of random samples having their means between 22.39 and 22.41 for the sampling distribution of means of 300 random samples each of size  $n=36$  are drawn from the population of  $N=1500$  which is normally distributed with mean  $\mu = 1500$  and  $\sigma=0.048$ . 5M C03 BL3

OR

- 7 Construct sampling distribution of means for the population 3, 7, 11, 15 by drawing samples of size two with replacement. Determine 10M C03 BL3
- Population mean
  - Population standard deviation
  - $\mu_{\bar{x}}$  (mean of the SDM)  $\sigma_{\bar{x}}$  (std. deviation of SDM)

- 8 In a certain city 125 men in a sample of 500 were found to be smokers. In another city, the number of smokers was 375 in a random sample of 1000. Does this indicate that there is a greater population of smokers in the second city than in the first? 10M C04 BL3

OR

- 9 A random sample of 40 geysers produced by company A have a mean life time of 647 hours of continuous use with a standard deviation of 27 hours, while a sample 40 produced by another company B have mean life time of 638 hours with standard deviation 31 hours. Does this substantiate the claim of company A that their geysers are superior to those produced by company B at 0.01 level of significance? 10M C04 BL3

- 10 a) Find the parabola of the form  $y = a + bx + cx^2$  which fits most closely with the observations 5M C05 BL3

|     |      |       |       |       |       |
|-----|------|-------|-------|-------|-------|
| $x$ | 2    | 4     | 6     | 8     | 10    |
| $y$ | 3.07 | 12.85 | 31.47 | 57.38 | 91.29 |

- b) Determine the constants  $a$  and  $b$  by the method of least squares such that  $y = ae^{bx}$  5M C05 BL3

|     |       |        |        |        |        |
|-----|-------|--------|--------|--------|--------|
| $x$ | 2     | 4      | 6      | 8      | 10     |
| $y$ | 4.077 | 11.084 | 30.128 | 81.897 | 222.62 |

OR

- 11 Find the lines of regression for the following marks obtained by 12 students in Mathematics and Statistics 10M C05 BL3

|             |    |    |    |    |    |    |    |    |
|-------------|----|----|----|----|----|----|----|----|
| Mathematics | 78 | 56 | 36 | 66 | 25 | 75 | 82 | 62 |
| Statistics  | 84 | 44 | 57 | 58 | 60 | 68 | 62 | 58 |