



# MARRI LAXMAN REDDY INSTITUTE OF TECHNOLOGY AND MANAGEMENT

(AN AUTONOMOUS INSTITUTION)

(Approved by AICTE, New Delhi & Affiliated to JNTUH, Hyderabad)

Accredited by NBA and NAAC with 'A' Grade & Recognized Under Section 2(f) & 12(B) of the UGC act, 1956

III B.Tech I Sem Regular End Examination, December 2022

## Control Systems

(ECE/EEE)

Time: 3 Hours.

Max. Marks: 70

Note: 1. Question paper consists: Part-A and Part-B.

2. In Part - A, answer all questions which carries 20 marks.

3. In Part - B, answer any one question from each unit.

Each question carries 10 marks and may have a, b as sub questions.

### PART- A

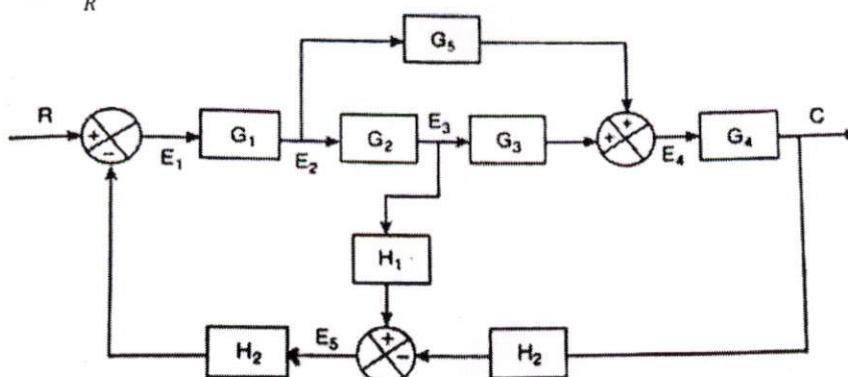
(10\*2 Marks = 20 Marks)

1. a) Explain how feedback effects the overall gain of the system. 2M C01 L2
- b) What do you mean by mechanical translational systems? 2M C01 L1
- c) Why derivative controller is not used alone in control systems? 2M C02 L2
- d) A unity feedback system has a open loop transfer function of  $G(s) = \frac{10}{(s+1)(s+2)}$ . Determine steady state error for unit step input. 2M C02 L3
- e) State limitations for Routh's stability. 2M C03 L2
- f) Draw the Root-Locus plot of  $G(S) H(S) = \frac{K}{S+P}$ . 2M C03 L3
- g) What is the effect on polar plot if a non-zero pole is added to the transfer function? 2M C04 L2
- h) Write the differences between lead and lag compensator. 2M C04 L4
- i) What is the characteristic equation of a system for generalized State Matrix? 2M C05 L3
- j) State the properties of state transition matrix. 2M C05 L1

### PART- B

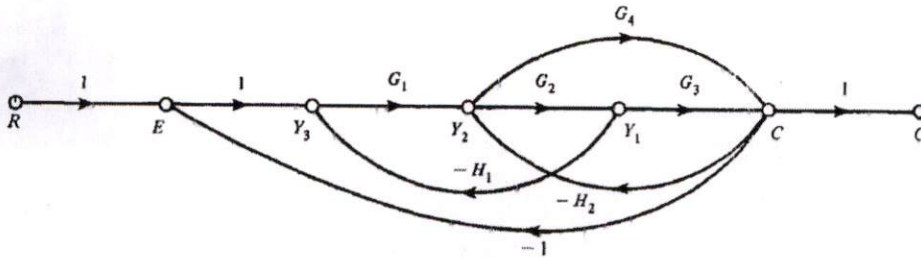
(10\*5 Marks = 50 Marks)

2. a) Explain open loop control system and closed loop control system with example. 5M C01 L4
- b) For the block diagram shown below, determine the transfer function  $\frac{C}{R}$ . 5M C01 L3



OR

- 3 a) Find the closed loop transfer function of the system shown below 5M C01 L3



- b) Define the terms i) mass ii) linear spring iii) friction, for translational motion subject to mathematical modelling of mechanical systems. 5M C01 L1

- 4 Derive the time domain specifications of second order system with unit step input. 10M C02 L2

**OR**

- 5 A unity feedback system has a forward path transfer function  $G(s) = \frac{8}{s(s+2)}$ . Find the value of damping ratio, undamped natural frequency of the system, percentage over shoot, peak time and settling time. 10M C02 L2

- 6 a) Determine the RH stability of given characteristic equation,  $s^4 + 8s^3 + 18s^2 + 16s + 5 = 0$ . 5M C03 L5

- b) Determine the range of values of K for the stability of a unity feedback system whose open loop transfer function is given by  $G(s) = \frac{K}{s(s+1)(s+2)}$  5M C03 L3

**OR**

- 7 The open loop transfer functions of a unity feedback are given below. Sketch the root locus.  $G(s) = \frac{K}{s(s+3)(s^2+2s+2)}$  10M C03 L3

- 8 The open loop transfer function of a system is given by:  $G(s) = \frac{20}{s(s+1)(1+0.01s)}$  Sketch the Bode plot and determine the gain Margin and Phase Margin. 10M C04 L4

**OR**

- 9 Explain in detail about lag-lead compensator technique. 10M C04 L4

- 10 a) Define: (i) state (ii) State Variables (iii) State Space representation 5M C05 L1  
Determine the state model of the system whose transfer function is: 5M C05 L5

- b)  $T(s) = \frac{2(s+5)}{(2+s)(3+s)(4+s)}$  and draw block diagram representation of the state model.

**OR**

- 11 Consider a system with state model given below: 10M C05 L4

$$\dot{x} = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -1 & -5 & -1 \end{bmatrix} X + \begin{bmatrix} 0 \\ 5 \\ -24 \end{bmatrix} u, Y = [1 \ 0 \ 0]x + [0]u$$

Verify the system is observable and controllable.

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