

Department of Electronics & Communication Engineering

**MID QUESTION BANK(2017-18)**

<b>Course Title</b>	<b>SIGNALS AND STOCHASTIC PROCESS</b>			
<b>Course Code</b>	<b>EC304ES</b>			
<b>Regulation</b>	<b>R16</b>			
<b>Course Structure</b>	Lectures	Tutorials	Practicals	Credits
	4	1	-	4
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**Course Objectives:**

This course aims at:

- A. Represent any arbitrary analog or Digital time domain signal in frequency domain.
- B. Understand the importance of sampling, sampling theorem and its effects.
- C. Understand the characteristics of linear time invariant systems.
- D. Determine the conditions for distortion less transmission through a system.

## Signal Analysis, Signal Transmission through Linear Systems

### unit 1 short answer questions

S.No:	QUESTION	Blooms Taxonomy Level	Course outcome	ProgramOutcomes
1	Show that the following signals are orthogonal over an interval $[0,1]$ and the given signals are $f(t)=1$ and $x(t)= (1-2t) \sqrt{3}$	Knowledge	A	a
2	Test the DT signal is periodic or not $\cos 0.001n\pi$ ?	Knowledge	A	c
3	Test the Discrete signal is periodic or not $X(n)=\sin 3n$	Understand	A	f
4	$X(t)=(\cos t + \sin \sqrt{2}t)$ test $x(t)$ is periodic or not.	Analysis	A	d
5	Sketch even and odd components of $x(n)=e^{-(n/4)}U(n)$	Knowledge	A	d
6	Sketch even and odd components of $x(t)=\cos^2(\pi t/2)$	Knowledge	A	f
7	Sketch even and odd components of $x(n)=\text{Im}[e^{jn\pi/4}]$ ?	Applying	A	e
8	Prove that power of the energy signal is zero over an infinite time?	Understand	A	c
9	Prove that energy of the power signal is infinite over an infinite time?	Understand	A	d
10	If $x(n)=U(n)$ .Find the power of	Analyze	A	b

	the signal?			
11	What are the elementary standard test signals?	Knowledge	A	b
12	If $U(n)$ is the unit step function then sketch $U(n)$ - $U(n-1)$ and $U(n-2)$ ?	Knowledge	A	c
13	Write the Dirchlet's condition for the existence of fourier series	Understand	A	c
14	Sketch $u(-t)$ and $u(-t-1)$ where $u(t)$ is unit step function.	Analysis	A	c
15	What is meant by Gibbs phenomenon	Knowledge	A	c
16	Write the formulae for Energy and power of continous time and discrete time signals.	Knowledge	A	i
17	sketch the even and odd component of the signal $x(t)=t$ for $0 \leq t \leq 1$ and $x(t)=2-t$ $1 \leq t \leq 2$	Analysis	A	d
18	.Draw the signum function and express signum function in terms of unit step function.	Knowledge	A	d
19	Define signal and system.	Knowledge	A	b
20	Expalin folding, delaying, Advance operations on the signal with an example	Knowledge	A	a

### **unit 1 Long answer questions**

<b>S.No:</b>	<b>QUESTION</b>	<b>Blooms Taxonomy Level</b>	<b>Cours e outco me</b>	<b>Progra mOutc omes</b>
1	Explain the concept of orthogonality in	Analyze	A	a

	signals?			
2	If the signal is $x_1(t)$ approximated in terms of $x_2(t)$ . Derive an expression for evaluation of component of $x_1(t)$ contained in $x_2(t)$ ?	Understand	A	c
3	A square wave is defined $f(t)=1$ for $0 < t < \pi$ and $f(t)=-1$ for $\pi < t < 2\pi$ . Approximate this function by a waveform $\sin t$ over an interval $[0, 2\pi]$ ?	Analyze	A	f
4	Explain signal approximation using orthogonal function?	Knowledge	A	d
5	Derive an expression for evaluation of mean square error in the signal approximation?	Understand	A	d
6	Explain orthogonality in complex functions?	Analyze	A	f
7	Show that the signal set $\{1, \cos \omega_0 t, \cos 2\omega_0 t, \dots, \cos n\omega_0 t, \dots, \sin \omega_0 t, \sin 2\omega_0 t, \dots, \sin n\omega_0 t, \dots\}$ are orthogonal over an interval $T=2\pi/\omega_0$ ?	Understand	A	e
8	Prove that set of exponential $1, e^{\pm j\omega_0 t}, e^{\pm 2j\omega_0 t}, \dots, e^{\pm nj\omega_0 t}$ are orthogonal over an interval $T_0$	Analyze	A	c
9	A) If $x(n) = (0.5)^n U(n)$ . Find the energy of the signal?  If $x(n) = \cos^2 \omega_0 n$ . Find the power of the signal?	Analyze	A	d
10	sketch the even and odd component of the signal $x(t)=t$ for $0 \leq t \leq 1$ and $x(t)=2-t$ $1 \leq t \leq 2$	Analyze	A	b
11	Test the orthogonality of cosine waves $\cos n\omega_0 t, \cos m\omega_0 t$ ?	Creating	A	b
12	What is meant by impulse response. define the term Transfer function	Creating	C	c
13	What is meant by LTI system. State paley wiener criterion.	Creating	C	c

14	Expain the terms signal bandwidth and system band width. Expalin the relation between bandwidth and rise time.	Applying	D	c
15	What is the relation between impulse response and Transfer fuction Draw the ideal LPF characteristics	Applying	C	c
16	When the LTICT system is said to be causal,stable,dynamic. Define time invariant and time varying systems.	Applying	C	i
17	The impulse response of the LTI-CT system is given as $h(t) = e^{-2t} u(t)$ . Determine transfer function, impulse response of a linear time invariant system.	Creating	C	d
18	Find the unit step response of the system given by $h(t) = 1/RC e^{-at/RC} u(t)$	Applying	A	d
19	Write the formulae for Energy and power of continous time and discrete time signals.and Write with Examples?	Applying	A	b
20	Write the relation between Unit step and signum function?	Applying	A	a

### **UNIT 1 problems**

S.No:	QUESTION	Blooms Taxonomy Level	Course outcome	Progra mOutcomes
1	Test the continous time system $y(t)=tx(t)$ is time variant or invariant.	Knowledge	D	a
2	Test the continous time system $y(t)=tx(t)$ is linear or non linear	Knowledge	D	c
3	Test the continous time system $y(t)=x^2(t)$ is linear or non linear.	Understand	C	f
4	Test the discrete time system $y(n)=x^2(n)$ is linear or non linear.	Analysis	C	d
5	Test the discrete time system $y(n)=x(n^2)$ is linear or non linear.	Knowledge	C	d

6	Test the continuous time system $y(t) = x(t) + x^2(t)$ is linear or non linear.	Knowledge	C	f
7	Test the discrete time system $y(n) = x(n) + x(n-1)$ is linear or not.	Applying	C	e
8	Test the continuous time system $y(t) = tx(t)$ is time variant or invariant.	Understand	C	c
9	What is the relationship between input and output of an LTI system?	Understand	C	d
10	Define LTI CT systems	Analyze	C	b

## **UNIT 2 FOURIER SERIES,FOURIER TRANSFORM,SAMPLING**

### **UNIT 2 LONG ANSWER QUESTIONS**

<b>S.No:</b>	<b>QUESTION</b>	<b>Blooms Taxonomy Level</b>	<b>Course outcome</b>	<b>ProgramOutcomes</b>
1	State and prove time shifting and frequency shifting properties of fourier transform.	Knowledge	A	a
2	write the time scaling,frequency differentiation property of fourier transform.	Knowledge	A	c
3	write the convolution property of fourier transform.	Understand	A	f
4	find the fourier transform of $x(t) = te^{-at} u(t)$	Analysis	A	d
5	find the fourier transform of $x(t) = e^{-t} \sin t u(t)$	Knowledge	A	d
6	find the fourier transform of $x(t) = e^{-a t } \operatorname{sgn}(t)$	Knowledge	A	f
7	what is the fourier transform of a rectangular function is defined as $x(t) = 1$ for $-1 < t < 1$	Applying	A	e
8	state and prove sampling theorem.	Understand	B	c

9	Expalin natural sampling techniqe.	Understand	B	d
10	Explain the process of reconstruction of signals from its samples	Analyze	B	b
11	Explain flat top sampling	Knowledge	B	b
12	compare ideal,natural,flat top sampling techniques	Knowledge	B	c
13	using fourier transform find the convolution of the signals $x(t)=t e^{-2t} u(t)$ and $y(t)=t e^{-t} u(t)$	Understand	B	c
14	Derive the formulae for fourier transform of periodic function	Analysis	B	c
15	find the fourier transform of $x(t)=e^{- t }$ for $-2 < t < 2$ $x(t)=0$ otherwise	Knowledge	B	c
16	find the fourier transform of $x(t)=\sin(8t+0.1\pi t)$ .	Knowledge	B	i
17	State Parseval's relation for continuous time fourier transforms	Analysis	B	d
18	The Fourier transform (FT) of a function $x(t)$ is $X(w)$ . What is the FT of $dx(t)/dt$	Knowledge	B	d
19	Explain how aperiodic signals can be represented by fourier transform.	Knowledge	B	b
20	find the fourier transform of $x(t)=5\sin^2(3t)$	Knowledge	B	a

## **UNIT 2 SHORT ANSWER QUESTIONS**

<b>S.No:</b>	<b>QUESTION</b>	<b>Blooms Taxonomy Level</b>	<b>Course outcome</b>	<b>ProgramOutcomes</b>
1	find the fourier transform of $x(t)=e^{-at} u(t)$	Knowledge	A	a
2	write the integration	Knowledge	A	c

	property of fourier transform			
3	write the duality property of fourier transform	Understand	C	f
4	find the fourier transform of $x(t)=\text{sgn}(t)$	Analysis	C	d
5	find the fourier transform of $x(t)=u(t)$	Knowledge	C	d
6	find the fourier transform of $x(t)=\cos\omega_0 t$	Knowledge	C	f
7	find the fourier transform of $x(t)=\sin\omega_0 t$	Applying	C	e
8	What is the inverse fourier transform $1/(a+jw)$	Understand	C	c
9	What are the difference between Fourier series and Fourier transform	Understand	C	d
10	What is the inverse fourier transform $1/(a+jw)^2$	Analyze	C	b
11	Define nyquist rate and nyquist interval.	Knowledge	B	b
12	what is aperture effect	Knowledge	B	c
13	Find the nyquist interval of $x(t)=(\sin 200\pi t)$ .	Understand	B	c
14	find the fourier transform of $x(t)=f(t-2)+f(t+2)$ .	Analysis	B	c
15	What is meant by Hilbert transform	Knowledge	B	c
16	write the properties of Hilbert transform	Knowledge	B	i
17	What is an antialiasing filter?	Analysis	B	d
18	What is meant by sampling, aliasing.	Knowledge	B	d
19	find the fourier transform of $x(t)=\sin 6t$	Knowledge	B	b
20	Write down the condition for avoiding the aliasing effect?	Knowledge	B	a

## **UNIT 2 PROBLEMS**



S.No:	QUESTION	Blooms Taxonomy Level	Course outcome	ProgramOutcomes
1	if $x(t)=e^{-t}$ and it is periodic signal with period 1 sec.Represent $x(t)$ in Trigonometric fourier series.	Knowledge	D	a
2	Derive relationship between Trigonometric fourier series and Exponential fourier series?	Knowledge	D	c
3	Determine the fourier series represenatation of the signal $x(t)=3\cos(0.5\pi t+0.25\pi t)$	Understand	C	f
4	Derive the expressions for trigonometric fourier series coefficients.	Analysis	C	d
5	Determine the fourier series represenatation of the full wave rectified signal	Knowledge	C	d
6	Explain halfwave symmetry.	Knowledge	C	f
7	Explain quarter wave symmetry.	Applying	C	e
8	Write the dirichlets conditions.	Understand	C	c
9	Write the time shiting and frequency shifting property of fourier series	Understand	C	d
10	Write the parsevals theorem for fourier series	Analyze	C	b

## **Laplace Transforms and Z-Transforms:**

### unit 3 short answer questions

<b>S.No:</b>	<b>QUESTION</b>	<b>Blooms Taxonomy Level</b>	<b>Course outcome</b>	<b>ProgramOutcomes</b>
1	What is ROC	Knowledge	D	a
2	What is the relation between Laplace transform and Fourier transform	Knowledge	D	c
3	State Initial Value theorem	Understand	C	f
4	State Final value theorem	Analysis	C	d
5	What is a right sided signal? What is its ROC	Knowledge	C	d
6	What is a left sided signal? What is its ROC	Knowledge	C	f
7	What is a two sided signal? What is its ROC	Applying	C	e
8	What is a finite duration signal? What is its ROC	Understand	C	c
9	What is unilateral laplace transform	Understand	C	d
10	What is Bilateral transform	Analyze	C	b
11	What are the limitations of z transform?	Knowledge	C	b
12	What is inverse Z transform	Knowledge	B	c
13	When do you get DTFT from the Z transform	Understand	B	c
14	What is the ROC of Z transform	Analysis	B	c
15	What is the ROC of finite duration of Positive time sequence	Knowledge	B	c

16	What is the ROC of finite duration of negative time sequence	Knowledge	B	i
17	State the linearity property of Z transforms	Analysis	B	d
18	State Initial Value theorem of Z transform	Knowledge	B	d
19	State final Value theorem of Z transform	Knowledge	B	b
20	Define transfer function of a system	Knowledge	B	a

### **UNIT 3 LONG ANSWER QUESTIONS**

<b>S.No:</b>	<b>QUESTION</b>	<b>Blooms Taxonomy Level</b>	<b>Course outcome</b>	<b>ProgramOutcomes</b>
1	Compare laplace and fourier transforms	Knowledge	D	a
2	State the properties of laplace transform	Knowledge	D	c
3	Obtain the relation between laplace and fourier transform	Understand	C	f
4	State the properties of laplace transform	Analysis	C	d
5	State and prove initial and final value theorems	Knowledge	C	d
6	State and prove time shifting property in s domain	Knowledge	C	f
7	What is ROC? Discuss about ROCs of various classes of signals	Applying	C	e
8	Discuss the partial fraction method of finding an inverse laplace transform	Understand	C	c
9	State the properties of ROC	Understand	C	d
10	State and prove time reversal property	Analyze	C	b
11	Derive the relation between Z transform and DTFT	Knowledge	C	b
12	Compare Laplace z and Fourier transforms	Knowledge	B	c
13	Derive the relation between Laplace and Z transforms	Understand	B	c

14	State and prove Parseval's relation?	Analysis	B	c
15	State and prove initial and final value theorems of Z transforms	Knowledge	B	c
16	Prove that for a causal sequences, the ROC is the exterior of a circle of radius r.	Knowledge	B	i
17	What are ROCs of finite duration sequences.	Analysis	B	d
18	Define inverse Z transform. Explain in detail different methods of finding inverse z transform	Knowledge	B	d
19	State and prove convolution property of Z transforms	Knowledge	B	b
20	Write the properties of ROC of $x(z)$	Knowledge	B	a

### UNIT3problems

1	Find the inverse z-transform of $X(z) = \frac{(z-1)^2}{z^2 - 0.1z - 0.56}$	Knowledge	B	c
2	Find inverse z-transform of $X(z)$ using long division method $X(z) = \frac{2+3z^{-1}}{1+z^{-1} + 0.25z^{-2} - (z^{-2})^8}$	Knowledge	B	i
3	Find the inverse Z-transform of $X(z) = \frac{z^2 - 1}{(z-2)^2}$ ; $ z  > 2$ using partial fraction	Analysis	B	d
4	Find the z-transform and ROC of the following sequences i) $x[n] = [4(5n) - 3(4n)] u(n)$ ii) $(1/3)^n u[-n]$ iii) $(1/3)^n [u[-n] - u[n-8]]$	Knowledge	B	d
5	Find the z-transform of the following i) $x[n] = \cos n\omega$ ii) $x[n] = a^n \sin n\omega$ iii) $x[n] = a^n u[n]$	Knowledge	B	b
6	A finite series sequence $x[n]$ is defined as $x[n] = \{5, 3, -2, 0, 4, -3\}$ . find $X[z]$ and its ROC.	Knowledge	B	c
7	Obtain the inverse Laplace transform of the function $\ln\left(\frac{s+a}{s+b}\right)$	Knowledge	B	i
8	Find the Laplace transform of the following function, $x(t) = (1/t) \sin^2 \omega t$	Analysis	B	d
9	Find $x(t)$ if $X(s) = \frac{1}{(s^2 + a^2)^2}$ using convolution	Knowledge	B	d
10	Find the Laplace Transforms of the following functions a) exponential function b) unit step function c) hyperbolic sine & cosine d) damped sine function e) damped hyperbolic cosine & sine f) power 'n'.	Knowledge	B	b
11	Find the inverse z-transform of $X(z) = \frac{(z-1)^2}{z^2 - 0.1z - 0.56}$	Knowledge	B	c
12	Find inverse z-transform of $X(z)$ using long division method $X(z) = \frac{2+3z^{-1}}{1+z^{-1} + 0.25z^{-2} - (z^{-2})^8}$	Knowledge	B	i
13	Find the inverse Z-transform of $X(z) = \frac{z^2 - 1}{(z-2)^2}$	Analysis	B	d

	$(z-2)^{-2};  z  > 2$ using partial fraction			
14	Find the z-transform and ROC of the following sequences i) $x[n] = [4(5n) - 3(4n)] u(n)$ ii) $(1/3)^n u[-n]$ iii) $(1/3)^n [u[-n] - u[n-8]]$	Knowledge	B	d
15	Find the z-transform of the following i) $x[n] = \cos nw$ . $u[n]$ ii) $x[n] = a^n \sin nw$ . $u[n]$ iii) $x[n] = a^n u[n]$	Knowledge	B	b
16	A finite series sequence $x[n]$ is defined as $x[n] = \{5, 3, -2, 0, 4, -3\}$ . find $X[z]$ and its ROC.	Analysis	B	d
17	Obtain the inverse Laplace transform of the function $\ln(s+a/s+b)$	Analysis	B	d

### **RANDOM PROCESSES – TEMPORAL CHARACTERISTICS:**

#### **UNIT 4 SHORT ANSWER QUESTIONS**

S.No:	QUESTION	Blooms Taxonomy Level	Course outcome	ProgramOutcomes
1	Define Random Process?	Knowledge	D	a
2	Define Strict sense stationary Random Process?	Knowledge	D	c
3	Define Joint Distribution Function of Random process?	Understand	C	f
4	Define Joint Density Function of Random process?	Analysis	C	d
5	Define Wide sense stationary process?	Knowledge	C	d
6	Write the formula for cross correlation coefficient	Knowledge	C	f
7	Explain any two properties of Auto correlation function?	Applying	C	e
8	When a random process is said to be mean ergodic?	Understand	C	c
9	When a random process is said to be correlation ergodic?	Understand	C	d
10	Write the formula of autocorrelation of	Analyze	C	b

	random process $X(t)$			
11	Define auto covariance of Random process	Knowledge	C	b
12	Define ensemble autocorrelation	Knowledge	B	c
13	Define Time average autocorrelation	Understand	B	c
14	Define Poisson Random Process	Analysis	B	c
15	Define Gaussian Random Process	Knowledge	B	c
16	State and prove any two properties of autocorrelation function	Knowledge	B	i
17	State and prove any two properties of cross correlation function	Analysis	B	d
18	What are the types of Random processes	Knowledge	B	d
19	Define cross correlation	Knowledge	B	b
20	Write the formula of time average cross correlation	Knowledge	B	a

### **unit 4Long answer questions**

<b>S.No :</b>	<b>QUESTION</b>	<b>Blooms Taxonomy Level</b>	<b>Course outcome</b>	<b>ProgramOutcomes</b>
1	The auto correlation function of a stationary random process $X(t)$ is given by $R_{xx}(\tau) = 36 + (16/(1+8\tau^2))$ Find mean, mean square and variance of the process.	Knowledge	D	a
2	Explain Ergodic Theorem and Ergodic process	Knowledge	D	c
3	A random process $Y(t)$ is given as $Y(t) = X(t)\cos(\omega t + \theta)$ is a wide sense stationary random process, ' $\omega$ ' is a constant, and $\theta$ is a random phase independent of $X(t)$ , uniformly distributed on $(\pi, -\pi)$ . Find out $R_{YY}(\tau)$ .	Understand	C	f

4	A random process is given as $X(t) = At$ , where $A$ is an uniformly distributed random variable on $(0, 2)$ . Find whether $X(t)$ is wide-sense stationary random process or not.	Analysis	C	d
5	A random process is given as $X(t) = At$ , where $A$ is an uniformly distributed random variable on $(0, 2)$ . Find whether $X(t)$ is wide-sense stationary random process or not.	Knowledge	C	d
6	Prove that the autocorrelation function is maximum at the origin.	Knowledge	C	f
7	Explain i) Mean ergodic process ii) Correlation ergodic process.	Applying	C	e
8	A random process $X(t)$ is given as $X(t) = A \cos(\omega t + \theta)$ is a wide sense stationary random process, ' $\omega$ ' is a constant, and $\theta$ is a random phase independent of $X(t)$ , uniformly distributed on $(0, 2\pi)$ . Find out $R_{xx}(\tau)$ .	Understand	C	c
9	Explain Wide sense Stationary Random Process and Strict sense stationary Random process	Understand	C	d
10	Consider a random process $x(t) = A \cos(\omega t + \theta)$ where $\omega$ and $\theta$ are constants and $A$ is a random variable with zero mean and variance $\sigma_A^2$ . Determine whether $x(t)$ is a wide sense stationary process or not	Analyze	C	b
11	Consider two random processes $x(t) = 3 \cos(\omega t + \theta)$ and $y(t) = 2 \cos(\omega t + \theta - \pi/2)$ where $\theta$ a random variable distributed in $(0, 2\pi)$ prove	Knowledge	C	b

	that $ R_{xy}(\tau)  \leq \sqrt{R_{xx}(0) R_{yy}(0)}$			
12	a) Explain the following w.r.to Random processes i) Strict sense stationary ii) Mean Ergodic processes. b) Explain about Poisson Random processes	Knowledge	B	c
13	For a random process $x(t)$ , assume that $R_{xx}(\tau) = \rho e^{-\tau^2 / 2a^2}$ where $\rho > 0$ and $a > 0$ are constants. Find the power density spectrum of $x(t)$	Understand	B	c
14	Explain the cross covariance and correlation coefficient	Analysis	B	c
15	Two random processes $U(t)$ and $V(t)$ are defined as $U(t) = X(t) + Y(t)$ and $V(t) = 2 - X(t) + 3Y(t)$ , where $X(t)$ and $Y(t)$ are two orthogonal stationary processes. Find $R_{uu}(\tau)$ , $R_{vv}(\tau)$ , $R_{uv}(\tau)$ in terms of $R_{xx}(\tau)$ and $R_{yy}(\tau)$ .	Knowledge	B	c
16	A random process is defined as $X(t) = A \cos(\omega t + \theta)$ where $A$ is constant and $\theta$ is a random variable, uniformly distributed over $(-\pi, \pi)$ check $X(t)$ is stationary or not	Knowledge	B	i
17	Consider a random process $x(t) = \cos(\omega t + \theta)$ where $\omega$ is a real constant and $\theta$ is a random variable, uniformly distributed over $(0, \pi/2)$ show that $x(t)$ is not WSS	Analysis	B	d
18	Distinguish between stationary and not stationary random process	Knowledge	B	d
19	Explain the classification of	Knowledge	B	b



	the random processes with neat sketch			
20	Consider a random process $x(t) = \cos(\omega t + \theta)$ where $\omega$ is a real constant and $\theta$ is a random variable, uniformly distributed over $(0, \pi/2)$ . Find average power	Knowledge	B	a
21	The auto correlation function of a stationary random process $X(t)$ is given by $R_{xx}(\tau) = 36 + (16/(1+8\tau^2))$ . Find mean, mean square and variance of the process.	Knowledge	B	c
22	Explain Ergodic Theorem and Ergodic process	Knowledge	B	i
23	A random process $Y(t)$ is given as $Y(t) = X(t)\cos(\omega t + \theta)$ is a wide sense stationary random process, ' $\omega$ ' is a constant, and $\theta$ is a random phase independent of $X(t)$ , uniformly distributed on $(-\pi, \pi)$ . Find out $R_{YY}(\tau)$ .	Analysis	B	d
24	A random process is given as $X(t) = At$ , where $A$ is an uniformly distributed random variable on $(0, 2)$ . Find whether $X(t)$ is wide-sense stationary random process or not.	Knowledge	B	d
25	A random process is given as $X(t) = At$ , where $A$ is an uniformly distributed random variable on $(0, 2)$ . Find whether $X(t)$ is wide-sense stationary random process or not.	Knowledge	B	b

**UNIT- V:**  
**Random Processes – Spectral Characteristics:**

### unit 5 short answer questions

S.No:	QUESTION	Blooms Taxonomy Level	Course outcome	ProgramOutcomes
1	What is weiner – Khintchine relation	Knowledge	D	a
2	Define Power spectral density	Knowledge	D	c
3	Write the formula of cross power spectral density	Understand	C	f
4	State and prove any two properties of cross psd?	Analysis	C	d
5	State and prove any two properties of psd?	Knowledge	C	d
6	Define Cross power spectral density?	Knowledge	C	f
7	Show that psd is an event function	Applying	C	e
8	Show that psd at zero frequency is equal to the area under the curve of auto correlation	Understand	C	c
9	Prove that PSD of WSS is always non negative	Understand	C	d
10	Show that time average of autocorrelation and PSD form F.T pair	Analyze	C	b
11	Find out the power spectral density of a wide sense stationary process $X(t)$ whose auto correlation function is <b><math>R_{XX}(\tau) = e^{-3 \tau }</math></b>	Knowledge	C	b
12	Find out the power spectral density of a wide sense stationary process $X(t)$ whose auto correlation function is <b><math>R_{XX}(\tau) = ke^{-k \tau }</math></b>	Knowledge	B	c
13	State the relation between Auto correlation function and PSD	Understand	B	c
14	Show that cross PSD of $X(t)$ , $Y(t)$ is zero when $X(t)$ ,	Analysis	B	c

	Y(t) are orthogonal			
15	State the relation between cross PSD and Cross correlation function	Knowledge	B	c
16	Show that real part of cross PSD is even function of w	Knowledge	B	i
17	Show that imaginary part of cross PSD is odd function of w	Analysis	B	d
18	Show that $S_{xy}(w) = S_{yx}(-w)$	Knowledge	B	d
19	State the relation between average power and PSD	Knowledge	B	b
20	State the relation between average cross power and cross PSD	Knowledge	B	a

### **Unit 5 Long Answer question**

<b>S.N o:</b>	<b>QUESTION</b>	<b>Blooms Taxonom y Level</b>	<b>Course outco me</b>	<b>ProgramOutco mes</b>
1	Prove that $S_{xy}(\omega) = 0$ and $S_{yx}(\omega) = 0$ , If X(t) and Y(t) are orthogonal.	Knowledg e	D	a
2	State and prove any three properties of power spectral density.	Knowledg e	D	c
3	Determine which of the following function is valid power density spectrums and why? <b><math>\cos(8\omega) / (2 + \omega^4)</math></b>	Understa nd	C	f
4	Derive the relationship between power spectral density and auto correlation function.	Analysis	C	d
5	Derive the relationship between cross power spectral density and cross correlation.	Knowledg e	C	d
6	Find out the power spectral density of a wide sense stationary process X(t) whose auto correlation function is <b><math>R_{XX}(\tau) = ae^{-b \tau }</math></b>	Knowledg e	C	f

7	A WSS Random process X(t) has PSD, $S_{xx}(w)=w^2/(w^4+10w^2+9)$ <b>find auto correlation and mean square value</b>	Applying	C	e
8	A stationary random process has an auto correlation function of $R(\tau) = \begin{cases} 1 - \frac{ \tau }{T} &  \tau  \leq T \\ 0 & \text{else where} \end{cases}$ find PSD	Understand	C	c
9	What is cross PSD state its properties	Understand	C	d
10	A WSS Random process X(t) has PSD, $S_{xx}(w)=w^2/(w^4+13w^2+36)$ <b>find auto correlation and mean square value</b>	Analyze	C	b
11	Find out the power spectral density of a wide sense stationary process X(t) whose auto correlation function is $R_{XX}(\tau) = ae^{- \tau }$	Knowledge	C	b
12	A stationary random process has an auto correlation function of $R_x(\tau) = 16 - e^{-5 \tau } \cos 20\pi\tau + 8 \cos$ find Variance, PSD	Knowledge	B	c
13	The auto correlation function of an a periodic random process is . Find the PSD and average power of the signal. $R_{XX}(\tau) = \exp\left[-\frac{\tau^2}{2\sigma^2}\right]$ .	Understand	B	c
14	A WSS Random process X(t) has PSD, $S_{xx}(w)=1+w^2$ for $ w  < 1$ <b>find auto correlation and mean square value</b>	Analysis	B	c
15	State and prove weiner – Khintchine relation	Knowledge	B	c
16	The auto correlation of a periodic random process is	Knowledge	B	i

	$R_{xx}(\tau) = \exp\left[-\frac{\tau^2}{2\sigma^2}\right].$ <p>find PSD and average power of the signal</p>			
17	State and prove any three properties of cross power spectral density	Analysis	B	d
18	Determine which of the following function is valid power density spectrums and why? $e^{-(w-1)}$	Knowledge	B	d
19	<p>The PSD of a Random process is given by</p> $S_{xx}(w) = \begin{cases} \pi &  w  < 1 \\ 0 & \text{else where} \end{cases}$ <p>find Auto correlation function</p>	Knowledge	B	b
20	Find the PSD of a random process whose auto correlation function is $R_{xx}(\tau) = A \cos(\omega_0 \tau)$	Knowledge	B	a
21	Prove that $S_{xy}(\omega) = 0$ and $S_{yx}(\omega) = 0$ , If $X(t)$ and $Y(t)$ are orthogonal.	Knowledge	B	b
22	State and prove any three properties of power spectral density.	Knowledge	B	a